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ABSTRACT

Although methodological integrity is not the sole determinant of the value of a program evaluation, decision-makers do have a right, at a minimum, to be able to expect competent work from evaluators. This paper explores five areas where evaluators might improve methodological practices. First, evaluation reports should reflect the limited contribution that statistical significance testing can make to the interpretation of results. Second, evaluation reports should also reflect the fact that multivariate statistics are often vital in educational research because multivariate methods best honor the reality to which the researcher is trying to generalize. Third, evaluation reports should reflect the recognition that discarding variance to conduct chi-square or analyses of variance and covariance and multivariate analyses of variance and covariance (OVA methods) can lead to serious distortions in interpretations. Even when OVA methods are appropriate, the methods should usually be implemented using regression approaches. Fourth, evaluation reports should reflect the recognition that covariance statistical correlations are usually least helpful when corrections are most needed. Finally, evaluation reports should reflect the recognition that stepwise analytic methods can lead to seriously distorted interpretations. Fourteen tables and three figures illustrate these contentions. A 102-item list of references is provided. (SLD)

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FIVE STEPS FOR IMPROVING EVALUATION REPORTS  
BY USING DIFFERENT DATA ANALYSIS METHODS

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## ABSTRACT

Methodological integrity is not the sine qua non of program evaluation endeavors. But decision-makers do have a right to expect, at a minimum, that evaluation results will generalize to reality. Five precepts regarding improved methodological practice are presented and explained in some detail. These precepts focus on statistical significance testing, the use of multivariate statistics to honor the complexity of program reality, the discarding of variance to conduct OVA or chi-square analyses, the use of covariance or statistical control, and the use of stepwise analytic methods.

Program evaluators have frequently been concerned that decision makers do not use their evaluation results to formulate policy (King & Thompson, 1983b). These concerns have a long history. Wholey, Scanlon, Duffy, Fukumoto, and Vogt (1970, p. 46) concluded that "the recent literature is unanimous in announcing the general failure of evaluation to affect decision-making in a significant way." Weiss (1972, p. 319) wrote that "evaluators complain about many things, but their most common complaint is that their findings are ignored." Similarly, Rippey (1973) concluded that

At the moment, there seems to be no evidence that evaluation, although the law of the land, contributes anything to educational practice other than headaches for the researcher, threats for innovators, and depressing articles for journals devoted to evaluation. (p. 9)

Prominent evaluation theorists have expressed these concerns. In 1973 Worthen and Sanders noted that "evaluation is one of the most widely discussed but little used processes in today's educational systems." Stake (1976, p. 1) once wrote, "We do not know whether or not evaluation is going to contribute more to the problems of education or more to the solutions." Two years later Patton (1978) wrote that

In many ways the odds are all against utilization and it is quite possible to become skeptical about the futility of trying to have impact in a world where situation after situation seems impervious to change. (p. 291)

Alkin and Daillak (1979, p. 41) noted that "there have been great hopes for evaluation, not only among evaluators themselves, but also among other educators, elected officials, and the public. Yet these hopes have dimmed."

Views expressed by local education agency (LEA) practitioners can be especially dramatic. For example, Holley (1980) noted that

In an ideal world we wouldn't have to worry about utilization. Educators would be eagerly awaiting our findings and would promptly rush to put them into practice. I don't need to tell you that isn't happening. (p. 2)

Kilbourne and DeGracie (1979) note that

All LEAs, with possibly a few exceptions, can point to their volumes of research and evaluation verbiage sitting on the shelves of district administrators being used for little else than a door stop, swatting flies, or any other of the various and sundry purposes for which research is used in the public schools. (p. 12)

More recently, researchers and evaluation practitioners (Thompson, 1982b) have recognized that there are many types of use, some of which are subtle and somewhat difficult to discern in the real world of incremental decision making (Eason, 1988; King, Thompson & Pechman, 1981). Indeed, such a view does help explain the seemingly paradoxical finding (Alkin, Kosecoff, Fitz-Gibbon & Seligman, 1974; King & Thompson, 1983a) that

administrators consistently report evaluation to be useful. And administrators and evaluators appear to have reasonably similar views of types of evaluators and of the evaluation process (Thompson, 1980; Thompson & Miller, 1984).

There have been numerous empirical studies of evaluation, summarized by King and Thompson (1983b), and by King et al. (1981) in an even more comprehensive report. A number of studies of evaluation use have employed simulated evaluation reports (e.g., Thompson, 1982a). Although such studies can be criticized on several grounds (Thompson & King, 1981), these reports have provided some insight into evaluation dynamics (Thompson & Levitov, 1983).

Both simulation and other studies (e.g., naturalistic qualitative studies) and experience all suggest that "the personal factor" (Cronbach et al., 1980, p. 174; Guskin, 1980, p. 21; Holley, 1980, p. 8; Leviton & Hughes, 1979, p. 21), i.e., administrator perception that the evaluator is competent and trustworthy, is critical to making evaluation use occur. In some senses evaluation is largely a persuasive endeavor (Eason, 1988; Thompson, 1981). This suggests that the methodology employed in evaluation reports has a relatively minor role to play in influencing use.

Patton et al. (1977, p. 151) report that "there is little in our data to suggest that improving methodological quality in and of itself will have effect on increasing the utilization of evaluation research." Similarly, Dickey (1980) found that methodological sophistication had no relationship to the level of use. Kennedy, Apling and Neumann (1980) conducted interviews and

found that evaluators worried about the methodological quality of their work, but that report users were more concerned about "educational quality" (p. 111) than about technical quality.

All this is not to say that methodological quality is unimportant. Rather, it is argued that methodological issues must be kept in perspective with respect to the impacts that technical merit will have. As Alkin (1975, p. 207) notes, "one of the best conscientious defenses against non-utilization of evaluation findings is a technically sound, methodologically credible study." As Leviton and Hughes (1979, p. 25) suggest, "If [methodological] quality does influence use, it is likely to do so primarily through increased trust that the findings are an accurate picture of the program." As Johnson (1978, p. 12) notes, "The central message in this regard is that it is not enough to conduct methodologically sound research."

But decision makers do have a right, at a minimum, to be able to expect technically competent work from evaluators. Such work does not guarantee use, but may be a necessary requisite to possible use. The purpose of the present paper is to explore five areas where evaluators might improve methodological practice. Some evaluators already adhere to these methodological precepts. Methodology is in some ways an ideologically driven business (Cliff, 1987; Thompson, 1988d), but the practice of some evaluators might be improved with reflection upon the issues raised herein.

#### A Preliminary Caveat: The Role of Statistical Method in Inquiry

However, one preliminary caveat is in order--methodological

integrity is not the ultimate sine qua non of research, evaluation or otherwise. Certainly it is true that, "Although the quality of educational research is improving, evidence still indicates that much of the research published has important weaknesses" (Borg, 1983, p. 193). Empirical studies of methodological practice in published research confirm these general impressions (Persell, 1976; Wandt, 1965; Ward, Hall & Schramm, 1975). Some of the problems in the quality of the research literature can be attributed to the journal review process, studied in an intriguing fashion by Peters and Ceci (1982). Nevertheless, as Glass (1979, p. 12) suggests, "Our research literature in education is not of the highest quality, but I suspect that it is good enough on most topics."

1. Evaluation reports should reflect the limited contribution that statistical significance testing can be make to the interpretation of results.

Few methodological offerings have sparked more controversy than Sir Ronald Fisher's promulgation of significance testing methods, methods that apparently were developed prior to Fisher's work (Carlson, 1976). The past 30 years have involved periodic efforts "to exorcise the null hypothesis" (Cronbach, 1975, p. 124). Morrison and Henkel (1970) and Carver (1978) provide historically important and incisive explanations of the limits of significance testing as an aid to interpretation. More recent informative treatments are available from Dar (1987), Huberty (1987), Kupfersmid (1988), and Thompson (1987b, 1988c, in press-b).

Most researchers have been taught the statistical

significance of results does not inform the researcher regarding the importance of outcomes. Shaver (1985, p. 58) makes this point in a concrete fashion in his contrived dialogue about significance testing:

Chris: [Looking puzzled.] Well, as I said, it [my result] was statistically significant. You know, that means it wasn't likely to be just a chance occurrence... An unlikely occurrence like that surely must be important.

Jean: Wait a minute, Chris. Remember the other day when you went into the office to call home? Just as you completed dialing the number, your little boy picked up the phone to call someone. So you were connected and talking to one another without the phone ever ringing... Well, that must have been a truly important occurrence then?

Yet, in three ways actual behavior tends to belie a failure to really accept that significance testing does not inform decisions regarding the importance of results. First, journal editorial boards tend to perceive articles that report significant results more favorably than articles not reporting significant results (Atkinson, Furlong & Wampold, 1982). Second, readers of research findings tend to perceive more favorably those articles reporting statistically significant results (Cohen, 1979). Third, and most disturbing of all, authors tend

not to submit manuscripts in which nonsignificant results must be reported, and even tend to abandon lines of inquiry on the basis of such results (Greenwald, 1975). These behaviors have been too readily transmitted to evaluators.

Too few researchers and evaluators appreciate which study features contribute to statistical significance. Although significance is a function of at least seven interrelated features of a study (Schneider & Darcy, 1984), sample size is the primary influence on significance. Some example results may clarify the ways in which sample sizes affect significance tests.

Tables 1 and 2 present significance tests associated with varying sample sizes and either moderate (9.8%) or larger (33.6%) fixed effect sizes, respectively. The tables can be viewed as presenting results for either a multiple regression analysis involving two predictor variables (in which case the "r sq" effect size would be called the squared multiple correlation coefficient,  $R^2$ ) or an analysis of variance involving an omnibus test of differences in three means in a one-way design (in which case the "r sq" effect size would be called the correlation ratio or eta squared).

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INSERT TABLES 1 AND 2 HERE.

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Each table presents results for fixed effect sizes but increasing sample sizes (4, 13, 23, 33, 43, 53, 63, or 123). For the fixed effect size of 9.8% involved in Table 1, the fixed effect size becomes statistically significant when there are somewhere between 53 and 63 subjects in the analysis. For the 33.6% effect size reported in Table 2, the result becomes

statistically significant when there are somewhere between 13 and 23 subjects in the analysis.

For a fixed effect size, adding subjects to the analysis impacts statistical significance in two ways. First, as illustrated in Tables 1 and 2, the critical  $F$  at a fixed alpha gets smaller as degrees of freedom error increase. Second, as the degrees of freedom error increase, the mean square error gets smaller, and thus the calculated  $F$  gets larger.

The evaluator who does not genuinely understand statistical significance would differentially interpret the effect size of 9.8% when there were 53 versus 63 subjects, and would differentially interpret the fixed effect size of 33.6% when there were 13 versus 23 subjects in the analysis. Yet the effect sizes within each table are fixed. Empirical studies of research practice indicate that superficial understanding of significance testing has actually led to serious distortions such as researchers interpreting significant results involving small effect sizes while ignoring nonsignificant results involving large effect sizes (Craig, Eison & Metze, 1976)!

Nor does significance testing typically inform the evaluator regarding the likelihood that results will be replicated in future work (Carver, 1978). Evaluators who wish to estimate the likely replicability of results should instead employ cross-validation logic (Campo, 1988), the "jackknife" logic developed by Tukey and his colleagues (Crask & Perreault, 1977), or the "bootstrap" logic developed by Efron and his associates (Diaconis & Efron, 1983).

Two aspects of significance testing interpretation in evaluation reports warrant attention. First, some evaluators use language implying that they are interpreting significance tests as if they were effect sizes. But, as Kerlinger (1986, p. 214) emphasizes, "Tests of statistical significance like  $t$  and  $F$  unfortunately do not indicate the magnitude or strength of relations." Yet Kerlinger (1986) himself constantly refers to results being "highly significant" (cf. pp. 187, 248, 334), and other respected textbook authors do so as well (e.g., Cliff, 1987, p. 394).

A second problem in language, implying the interpretation of significance tests as effect sizes, involves the use of phrases such as "the results approached statistical significance." Robert Brown, former editor of the Journal of College Student Personnel, made the humorous but telling comment at a recent conference: "How do these authors know their results weren't trying to avoid statistical significance?" Yet evaluators too often find themselves reporting that, "The number of years of experience was not significant but did approach significance."

The most serious misinterpretations of significance testing tend to occur when sample size is small and effect sizes are large but are underinterpreted, or when sample sizes are commendably large and are statistically significant but effect sizes are modest and are overinterpreted. Evaluators can conduct analyses such as those reported to in Tables 1 and 2 to determine when statistically significant effects become insignificant as sample size decreases, or when an effect size becomes statistically significant as sample size is increased. Such

analyses give the administrator a valuable perspective for interpreting results. The importance of such analyses has been recognized in Guidelines for Authors in some journals:

6. Authors are encouraged to assist readers in interpreting statistical significance of their results. For example, results may be indexed to sample size. An author may wish to say, "this correlation coefficient would have been statistically significant even if sample size had been as small as  $n=33$ ," or "this correlation coefficient would have been statistically significant if sample size had been increased to  $n=138$ ." (MECD, 1988, p. 46)

2. Evaluation reports should reflect the fact that multivariate statistics are often vital in educational research.

Multivariate statistics have been available to researchers for many years, although even today "there are many articles in the research literature in which multiple univariate statistics are calculated rather than a single multivariate analysis; for instance, one article may report 50  $t$ -tests rather than one MANOVA" (Moore, 1983, p. 307). McMillan and Schumacher (1984) isolated one reason why some researchers have hesitated to use multivariate statistical methods:

The statistical procedures for analyzing many variables at the same time have been available for many years, but it has only been since the computer age that researchers have been able to utilize these

procedures. There is thus lag in training of researchers that has militated against the use of these more sophisticated procedures. There are in evidence more each year in journals, however... (p. 270)

Hinkle, Wiersma and Jurs (1979) concurred, noting that "it is becoming increasingly important for behavioral scientists to understand multivariate procedures even if they do not use them in their own research." And recent empirical studies of research practice do confirm that multivariate methods are employed with some regularity in published behavioral research (Elmore & Woehhne, 1988; Gaither & Glorfeld, 1985; Goodwin & Goodwin, 1985).

There are two reasons why multivariate methods are so important in behavioral research, as noted by Thompson (1986b) and by Fish (1988). First, multivariate methods control the inflation of Type I "experimentwise" error rates. Most researchers are familiar with "testwise" alpha. But while "testwise" alpha refers to the probability of making a Type I error for a given hypothesis test, "experimentwise" error rate refers to the probability of having made a Type I error anywhere within the study. When only one hypothesis is tested for a given group of people in a study, "experimentwise" error rate will exactly equal the "testwise" error rate.

But when more than one hypothesis is tested in a given study, the two error rates will not be equal. Witte (1985, p. 236) explains the two error rates using an intuitively appealing

example involving a coin toss. If the toss of heads is equated with a Type I error, and if a coin is tossed only once, then the probability of a head on the one toss and of at least one head within the set of one toss will both equal 50%. But if the coin is tossed three times, even though the "testwise" probability of a head on each given toss is 50%, the "experimentwise" probability that there will be at least one head in the whole set of three flips will be inflated to more than 50%. Researchers control "testwise" error rate by picking small values, usually 0.05, for the "testwise" alpha. "Experimentwise" error rate, on the other hand, can be controlled at the "testwise" level by employing multivariate statistics.

When researchers test several hypotheses in a given study, but do not use multivariate statistics, the "experimentwise" error rate will range somewhere between the "testwise" error rate and the ceiling calculated in the manner illustrated in Table 3. Where the experimentwise error rate will actually lie will depend upon the degree of correlation among the dependent variables in the study. Because the exact rate in a practical sense is readily estimated only when the dependent variables are perfectly correlated (and "experimentwise" error will equal the "testwise" error) or are perfectly uncorrelated (and "experimentwise" error will equal the ceiling calculated in the manner illustrated in Table 3), it is particularly disturbing that the researcher may not even be able to determine the exact "experimentwise" error rate in some studies!

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INSERT TABLE 3 ABOUT HERE.

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Paradoxically, although the use of several univariate tests in a single study can lead to too many hypotheses being spuriously rejected, as reflected in inflation of "experimentwise" error rate, it is also possible that the failure to employ multivariate methods can lead to a failure to identify statistically significant results which actually exist. Fish (1988) provides a data set illustrating this equally disturbing possibility. The basis for this paradox is beyond the scope of the present treatment, but involves the second major reason why multivariate statistics are so important.

Multivariate methods are often vital in behavioral research because multivariate methods best honor the reality to which the researcher is purportedly trying to generalize. Since significance testing and error rates may not be the most important aspect of research practice (Thompson, 1988c), this second reason for employing multivariate statistics is actually the more important of the two grounds for using these methods. Thompson (1986b, p. 9) notes that the reality about which most researchers wish to generalize is usually one "in which the researcher cares about multiple outcomes, in which most outcomes have multiple causes, and in which most causes have multiple effects." As Hopkins (1980, p. 374) has emphasized:

These multivariate methods allow understanding of relationships among several variables not possible with univariate analysis... Factor analysis, canonical correlation, and discriminant analysis--and modifications of each procedure--allow researchers to study complex data, particularly

situations with many interrelated variables. Such is the case with questions based in the education of human beings.

Similarly, McMillan and Schumacher (1984) argue that:

Social scientists have realized for many years that human behavior can be understood only by examining many variables at the same time, not by dealing with one variable in one study, another variable in a second study, and so forth... These [univariate] procedures have failed to reflect our current emphasis on the multiplicity of factors in human behavior... In the reality of complex social situations the researcher needs to examine many variables simultaneously. (pp. 269-270)

3. Evaluation reports should reflect the recognition that discarding variance to conduct chi-square or OVA analyses can lead to serious distortions in interpretations, and that even when OVA methods are appropriate the methods should usually be implemented using regression approaches.

Cohen (1968, p. 441) has characterized the conversion of intervally scaled variables down to the nominal level of scale as the "squandering [of] much information." As Kerlinger (1986, p. 558) explains, this squandering can lead to distorted results:

...Partitioning a continuous variable into a dichotomy or trichotomy throws information away... To reduce a set of values with a relatively wide range to a dichotomy is to reduce its variance and thus its possible correlation with other variables.

Thompson (1988a, pp. 3-4) notes that

Variance is the "stuff" of which all quantitative research studies are made... It is not usually sensible to invest serious effort in collecting reliable and valid continuous score data, and to then casually discard the information that we previously went to some trouble to collect.

Evaluators too frequently discard variance in order to conduct either Pearson chi-square contingency table tests or ANOVA, ANCOVA, MANOVA or MANCOVA (hereafter labelled OVA methods). Certainly there are many problems with typical applications of the chi-square contingency table test (Thompson, 1988b), but OVA methods are more frequently applied (Elmore & Wehlke, 1988; Gaither & Glorfeld, 1985; Goodwin & Goodwin, 1985), and empirical research indicates that the use of OVA methods with variables that were originally intervalely scaled does introduce distortions (Thompson, 1986a). Thus, Cliff (1987, p. 130) correctly criticizes the practice of discarding variance on intervalely scaled predictor variables to perform OVA analyses:

Such divisions are not infallible; think of the persons near the borders. Some who should be highs are actually classified as lows, and vice versa. In addition, the "barely highs" are classified the same as the "very highs," even though they are different. Therefore, reducing a reliable variable to a dichotomy makes the variable more unreliable, not less.

Furthermore, even when interally scaled variables are naturally nominally scaled, regression approaches to OVA analyses still tend to be superior to classical OVA calculations (Thompson, 1985).

Most evaluators employing OVA methods are aware that "A researcher cannot stop his analysis after getting a significant  $F$ " (Huck, Cormier & Bounds, 1974, p. 68). Gravetter and Wallnau (1985, p. 423) concur that "Reject  $H_0$  indicates that at least one difference exists among the treatments. With  $k$  [means] = 3 or more, the problem is to find where the differences are."

Many evaluators employ unplanned (also called a posteriori or post hoc) multiple comparison tests (e.g., Sheffe, Tukey, or Duncan) to isolate which means are significantly different within OVA ways (also called factors) having more than two levels. Textbook authors tend to discuss unplanned comparisons in somewhat pejorative terms. For example, several authors refer to the application of these comparisons as "data snooping" (Kirk, 1968, p. 73, 1984, p. 360; Pedhazur, 1982, p. 305). Keppel (1982, p. 150) makes reference to "milking" in his discussion of these tests. Similarly, Minium and Clarke (1982, p. 321) note that:

Prior to running the experiment, the investigator in our example had no well-developed rationale for focusing on a particular comparison between means. His was a "fishing expedition"... Such comparisons are known as post hoc comparisons, because interest in them is developed "after the fact"--it is stimulated by the results obtained, not by any prior rationale.

Planned (also called a priori or focused) comparisons provide a valuable alternative to unplanned comparisons. Pedhazur (1982, chapter 9) and Loftus and Loftus (1982, chapter 15) provide readable explanations of these comparisons. Planned comparisons typically involve weighting data by sets of "contrasts" such as those presented by Thompson (1985) or those presented in Table 4. Other types of contrasts, those which test for trends in means, are provided by Fisher and Yates (1957, pp. 90-100) and by Hicks (1973).

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INSERT TABLE 4 ABOUT HERE.

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Contrasts are typically developed to sum to zero, as do all five contrasts presented for the data in Table 4. The data represent a hypothetical evaluation study conducted to determine whether various clinical groups score differently on a psychological measure. Contrasts are uncorrelated or orthogonal (as are the hypotheses they represent or test) when the contrasts each sum to zero and when the sum of the cross-products of each pair of contrasts all sum to zero also. Thus, the contrasts presented in Table 4 are uncorrelated.

Some theorists do not believe that planned comparisons should necessarily be orthogonal. For example, Winer (1971, p. 175) argues that "whether these comparisons are orthogonal or not makes little or no difference." However, orthogonal planned comparisons do have special appeal, for statistical reasons delineated elsewhere (Kachigan, 1986, p. 309). But as Keppel (1982, p. 147) suggests:

The value of orthogonal comparisons lies in the independence of inferences, which, of course, is a desirable quality to achieve. That is, orthogonal comparisons are such that any decision concerning the null hypothesis representing one comparison is uninfluenced by the decision regarding any other orthogonal comparison. The potential difficulty with nonorthogonal comparisons, then, is interpreting the different outcomes. If we reject the null hypotheses for two nonorthogonal comparisons, which comparison represents the "true" reason for the observed differences?

There are two reasons why planned comparisons are usually superior to unplanned comparisons. First, as noted by numerous researchers (Glasnapp & Poggio, 1985, p. 474; Hays, 1981, p. 438; Kirk, 1968, p. 95; Minium & Clarke, 1982, p. 322; Pedhazur, 1982, pp. 304-305; Sowell & Casey, 1982, p. 119), planned comparisons offer more power against Type II errors than do unplanned comparisons, for reasons explained elsewhere (Games, 1971a, 1971b). For example, for the data presented in Table 4, the omnibus test of differences among the six group means is not statistically significant ( $F=1.5$ ,  $df=5/6$ ,  $p=.3155$ ). Furthermore, even if unplanned comparisons were conducted in violation of conventional practice (since the omnibus test was not statistically significant), statistically significant differences would not have been identified either. However, a planned comparison involving the mean of the two level-six subjects versus the mean of the remaining 10 subjects would have been

statistically significant ( $F=12.5$ ,  $df=1/6$ ,  $p=.0054$ ).

However, significance is not the end-all and be-all of evaluation research (Thompson, 1988c). The more important reason why planned comparisons are important is that planned comparisons tend to force the evaluator to be more thoughtful in conducting research, since planned comparisons must be carefully formulated before data are collected and since typically only a limited number of planned comparisons can be stated in a given study. As Snodgrass, Levy-Berger and Haydon (1985, p. 386) suggest, "The experimenter who carries out post hoc comparisons often has a rather diffuse hypothesis about what the effects of the manipulation should be." As Keppel (1982, p. 165) notes,

Planned comparisons are usually the motivating force behind an experiment. These comparisons are targeted from the start of the investigation and represent an interest in particular combinations of conditions--not in the overall experiment.

Thus, as Kerlinger (1986, p. 219) suggests, "while post hoc tests are important in actual research, especially for exploring one's data and for getting leads for future research, the method of planned comparisons is perhaps more important scientifically."

4. Evaluation reports should reflect a recognition that covariance statistical corrections are usually least helpful (and are most dangerous) when corrections are most needed.

Many "statistical controls" can be invoked to adjust posttest scores when the evaluator believes that or random assignment or design selection have failed to create groups that were equivalent at the start of the experiment or quasi-

experiment. These statistical controls are available throughout the entire gamut of quantitative methods. For example, Gorsuch (1983, pp. 89-90) notes that the first factor extracted in a factor analysis can be located to pass directly through a "covariate" variable in factor space. Since factors are uncorrelated, the effects of the first factor on all other factors will have been statistically controlled.

Though many of these statistical controls date back to the beginning of the century (Nunnally, 1975, p. 9), most of the controls have not enjoyed wide use. Analysis of covariance (ANCOVA), for example, has been used in about four percent of the recently published research (Goodwin & Goodwin, 1985, pp. 8-9; Willson, 1980, p. 7). As explained by McGuigan (1983, p. 230):

Briefly this technique enables you to obtain a measure of what you think is a particularly relevant extraneous variable that you are not controlling. This usually involves some characteristics of your participants. For instance, if you are conducting a study of the effect of certain psychological variables on weight, you might use as your measure the weight of your participants before you administer your experimental treatments. Through analysis of covariance, you then can "statistically control" this variable--that is, you can remove the effect of initial weight from your dependent variable scores, thus decreasing your error variance.

One problem with statistical controls is that they assume very reliable measurement of the control variables. For example, Nunnally (1975, p. 10) notes that reliability will not usually have an appreciable influence on the substantive interpretation of most statistical procedures as long as reliability of measurement is at least 0.70, but that "Measurement reliability becomes crucial... in employing statistical partialling operations, as in the analysis of covariance or in the use of partial correlational analysis." Cliff (1987, p. 129) concurs, noting that

In general, partial correlation analysis is affected by any lack of reliability or validity in the variables. In many ways these effects resemble tuberculosis as it occurred a generation or two ago: They are widespread, the consequences are serious, the symptoms are easily overlooked, and most people are unaware of their etiology or treatment.

Unfortunately, too many evaluators may not consider and certainly do not report the measurement error of their variables. As Willson (1980, p. 9) comments, "That reliability of instruments is unreported in almost half the published research is likewise inexcusable at this late date."

Statistical control has been particularly appealing to some evaluators when random assignment was not performed. These researchers expect the statistical adjustments of ANCOVA to magically make groups equivalent.

However, the primary difficulty with statistical control

performed to make groups equivalent involves the homogeneity or regression assumption of the methods. The methods assume that the relationship between the covariate and the dependent variable is equivalent in all experimental groups. This assumption is necessary because the statistical control procedures are implemented by adjusting the dependent variable to the extent that the covariate and the dependent variable are correlated when group membership information is completely ignored.

Campbell and Erlebacher (1975) present a concrete illustration of how the use of statistical controls can seriously distort evaluation findings when the homogeneity of regression assumption is not met. ANCOVA has been very appealing in research investigating the effects of compensatory education programs. In these cases the treatment intervention is made available to all or most children who are eligible. The control group usually consists of children who were not eligible for the treatment and, therefore, the group is inherently different in its character than the treatment group. In these analyses both the dependent variable and the covariate are cognitive variables. The statistical control procedure assumes that the relationship between the two variables is the same in both groups, i.e., since correlation is a measure of the slope of the regression line for the two variables, that children who are eligible for and receive compensatory interventions learn at the same rate as children who are not eligible for the intervention.

The decision to blithely use the statistical control when the homogeneity of regression assumption is not met leads to

"tragically misleading analyses" that actually "can mistakenly make compensatory education look harmful" (Campbell & Erlebacher, 1975, p. 597). Similarly, Cliff (1987, p. 273) argues that, "It could be that the relationship between the dependent variable and the covariate is different under different treatments. Such occurrences tend to invalidate the interpretation of the simple partial correlations described above."

Persons who wish to use statistical controls of this type are usually trapped in a nasty dilemma. If the controls are not needed then they should not be used. But if statistical control is needed because the groups in a study are not equivalent, then often the homogeneity of regression assumption cannot be met and the use results in seriously distorted inferences.

It is interesting to note that many evaluators do not recognize the paradox of testing both analytic assumptions and substantive hypotheses for statistical significance. Evaluators frequently try to obtain as large a sample as possible, so that chances for "significance" of substantive tests are maximized. This practice also leads to greater likelihood that tests of homogeneity of variance or of regression will also be significant.

The fallacious use of statistical control in inappropriate ANCOVA applications needs to be recognized by more evaluators, as some theoreticians have long warned of these various dangers (Elashoff, 1969; Lord, 1960). ANCOVA is a special case of regression analysis. As Cliff (1987, p. 275) notes, "We could say that we are fitting a single regression equation to the data for all the groups and then doing an anova of the deviation from the

regression line."

Consider the hypothetical data presented in Table 5. The hypothetical study involves four children from a compensatory program ("A") who have lower mean achievement ( $-.19$ ) on the cognitive pretest ("ZX") than do their peers ( $\text{mean}=.19$ ) from the noncompensatory group. Furthermore, as one might expect, and as illustrated in Figure 1 (which also presents the cognitive posttest ("ZY") scores of the eight children), the children in the two groups are learning at different rates.

---

INSERT TABLE 5 AND FIGURE 1 ABOUT HERE.

---

Nevertheless, the ANCOVA procedure employs the single beta weight ( $\underline{\beta}$  = beta weight for two variable case =  $.81$ ) derived by ignoring the group membership ("A" or "B") of the children, i.e., derived by ignoring the fact that the children are learning at different rates. This beta weight adjustment is presented in Figure 1 as the regression line for the variables, derived ignoring group membership. However, Figure 1 also indicates that the slopes of regression lines computed separately for the two groups are different, and that it is not reasonable to use the same adjustment for both groups.

Table 6 presents conventional ANOVA results for this data set when no covariance adjustments are implemented. Table 7 presents an ANCOVA utilizing pretest scores ("ZX") as a covariate. Table 8 presents an ANOVA performed on the residual raw scores ("YE" = "ZY" - "YHAT"); this analysis demonstrates that ANCOVA is an ANOVA on posttest scores once the posttest

scores have been residualized with the covariate ("YE") in a regression analysis completely ignoring group membership information.

---

INSERT TABLES 6 THROUGH 8 ABOUT HERE.

---

What many evaluators do not understand is how ANCOVA can make the experimental intervention appear less effective. Figure 2 represents a case in which the covariate ("X") is associated with the dependent variable ("Y"), but not with the assignment to experimental conditions ("A"). In other words, the homogeneity of regression assumption is met.

Table 9 presents a one-way ANOVA corresponding to the Figure 2 Venn diagram. Table 10 presents the related ANCOVA. In this example all the adjustment involving the covariate involves variance in the dependent variable not associated with assignment to experimental conditions. Therefore, the sum of squares for the main effect remains unchanged, but the covariate does reduce the sum of squares for error. This results in a smaller mean square error, and thereby a larger calculated  $F$  for the main effect.

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INSERT FIGURE 2 AND TABLES 9 AND 10 ABOUT HERE.

---

But Figure 3 presents a case where the homogeneity of regression assumption is not met. Tables 11 and 12 present the related ANOVA and ANCOVA results, respectively. Although the intervention does have some effect, the application of the covariate in this "worst case" example makes the intervention appear entirely ineffective. Clearly, covariance adjustments can have effects that some researchers do not recognize.

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INSERT FIGURE 3 AND TABLES 11 AND 12 ABOUT HERE.

---

The fact that ANCOVA is simply ANOVA on the residual raw scores may also be disturbing from an interpretation point of view. The evaluator took a variable that presumably had some meaning ("ZY"), made an adjustment on it, and was left with an analysis of a residual raw score that, unlike the original dependent variable, has little intrinsic meaning. The result might be difficult to interpret even if the adjustment was reasonable, i.e., if the homogeneity of regression assumption had been met.

Too many researchers and evaluators blindly apply ANCOVA absent an understanding of either the method's logic or its pivotal assumptions. As McGuigan (1983, p. 231) has observed, ANCOVA

can be seriously misused, and one cannot be assured that it can "save" a shoddy experiment. Some researchers overuse this method as in the instance of a person I once overheard asking of a researcher, "Where is your analysis of covariance?"--the understanding in his department was that it is always used in experimentation.

Of course, the preceding discussion of the ANCOVA case generalizes to the various types of statistical control that are available to researchers.

ANCOVA is not robust to the violation of the homogeneity of regression assumption, but some evaluators routinely decline to

evaluate this assumption. It is ironic that this ineptness may have contributed to the rise of alternative paradigms for conducting evaluation use research (Thompson, in press-a). The failure to test the homogeneity of regression assumption can lead to serious misinterpretations of program effects.

5. Evaluation reports should reflect the recognition that stepwise analytic methods can lead to seriously distorted interpretations.

Stepwise analytic methods may be among the most popular research practices employed in both substantive and validity research. As commonly employed, these methods allow the entry of predictor variables one step at a time, and at each step the removal of previously entered variables is also considered. The methods seem to be somewhat casually employed especially in regression and discriminant analysis research, though variants are also available when other techniques are used (cf. Thompson, 1984, pp. 47-51).

With respect to regression applications, Marascuilo and Serlin (1988, p. 671) note that, "The most popular method in use for selecting the fewest number of predictor variables necessary to guarantee adequate prediction is based on a model referred to as stepwise regression." Huberty (in press) concurs, suggesting that "The conduct of analytical procedures in 'steps' is quite common... [These] procedures have enjoyed widespread use by social and behavioral researchers." Unfortunately, stepwise methods can lead to serious misinterpretations of results, and "social science research is replete with misinterpretations of this kind" (Pedhazur, 1982, p. 168).

Three problems with stepwise methods merit special emphasis. First, many evaluators, thanks to "canned" computer programs, do not employ the correct degrees of freedom when evaluating changes in explained variance, i.e., usually changes in squared  $R$  or  $\lambda$ . For example, in a stepwise regression analysis, the evaluator at step two may add a second predictor variable into a prediction equation. The evaluator might test the significance of the change in squared  $R$  by an  $F$  test using 1 and  $n-q-1$  degrees of freedom, where  $q$  is the number of predictor variables in the last step. The numerator degrees of freedom reflects a premise that only one additional predictor variable was employed to yield the squared  $R$  change, but ignores the fact that the added predictor was selected by consulting empirical sample results involving a larger set of candidates for entry into the prediction process. Thus, the process ignores that fact that, "in a sense, all the variables are in the equation, even though some of them have [effectively] been given zero weights" (Cliff, 1987, p. 187). Consequently, Cliff (1987, p. 185) suggests that "most computer programs for [stepwise] multiple regression are positively satanic in their temptation toward Type I errors."

Second, some evaluators incorrectly interpret stepwise results in which  $q$  predictor variables have been selected as indicating that the predictor variables are the best variables to use if the predictor variable set is limited to size  $q$ . In fact, in a stepwise analysis in which three steps are conducted, and predictors  $A$ ,  $B$ , and  $C$  are employed, it is entirely possible that three different predictors would represent the optimal predictor set of size three. Stepwise methods select the next-best

predictor at each step, given the presence of previous predictors--this is not the same as selecting the optimal predictor variable set of size  $q$ . As Huberty (in press) notes, "It is generally understood by methodologists that the first  $q$  variables entered into either a regression analysis or a discriminant analysis do not necessarily constitute the 'best' subset of size  $q$ ."

Third, some evaluators incorrectly consult order of entry information to evaluate the importance of various predictor variables. As Huberty (in press) explains,

The first variable entered with a stepwise regression analysis is determined by the correlation between each predictor variable and the criterion variable... The third, say, variable to be entered (and often considered to be the third most important) is dependent on the two variables already entered. If one or two the variables already entered would be changed, then the third variable entered may also be different. This dependence or conditionality truly makes variable importance as determined by stepwise analyses very questionable.

The small data set for a population ( $N=12$ ) presented in Table 13 can be employed to illustrate how sampling error can seriously distort the interpretation of stepwise results involved in predicting dependent variable  $ZY$ . Table 14 indicates that the three predictor variables share little variance with each other

and that the order of predictor variable explanatory power is, respectively, ZX1, ZX2, ZX3, and ZX4.

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INSERT TABLES 13 AND 14 ABOUT HERE.

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Presume that the evaluator draws a random sample of nine subjects from the population of 12 persons. Each of 55 random collections of nine subjects (omit subjects 1,2,3; omit 1,2,4; etc.) is equally probable. For these illustrative data, only eight samples (omit 1,2,5; 1,2,7; 2,3,7; 2,3,10; 3,4,5; 5,6,8; 7,8,9; and 7,8,12) enter the four predictor variables in the order that is known to be correct when the true population parameters are consulted.

Indeed, only 23 samples select predictor ZX1 as the first prediction entry. Sixteen samples select ZX2 as the first entry; 10 samples select ZX3 as the first variable entered; six samples select the worst predictor, ZX4, as the first or best predictor of ZY. For the sample omitting subjects 3, 4 and 9, the predictor variables are entered in the order: ZX4, ZX2, ZX3, and ZX1.

Clearly, sampling error can seriously distort stepwise results. As Kachigan (1986, p. 265) argues,

there is the danger that we might select variables for inclusion in the regression equation based on chance relationships. Therefore, as stressed in our discussion of multiple correlation, we should apply our chosen regression equation to a fresh sample of objects to see how well it does in fact predict values on the criterion variable. This validation procedure is absolutely essential if we

are to have any faith at all in the future applications of the regression equation.

Alternatively, the evaluator might employ a cross-validation procedure such as the one recommended by Huck, Cormier and Bounds (1974, p. 159).

Given these considerations, Kerlinger (1986, p. 545) argues that "the research problem and the theory behind the problem [and not stepwise methods] should determine the order of entry of variables in multiple regression analysis." Evaluators who choose to employ stepwise methods, particularly if they also fail to use replication or cross-validation methods, might best consider Cliff's (1987, pp. 120-121) argument that "a large proportion of the published results using this method probably present conclusions that are not supported by the data."

#### Summary

As noted previously, methodological integrity is not the sine qua non of program evaluation endeavors. But decision-makers do have a right to expect, at a minimum, that evaluation results will generalize to reality. Five precepts regarding improved methodological practice were presented and explained in some detail. These precepts focus on statistical significance testing, the use of multivariate statistics to honor the complexity of program reality, the discarding of variance to conduct OVA or chi-square analyses, the use of covariance or statistical control, and the use of stepwise analytic methods.

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Table 1  
 Statistical Significance at Various Sample Sizes  
 for a Fixed Effect Size (Moderate Effect Size)

Source	SOS	r sq	df	MS	F calc	F crit	Decision
SOSexp	98.7	0.098473	2	49.35	0.054614	200.00	Not Rej
SOSunexp	903.6		1	903.6			
SOSStot	1002.3		3	334.1			
SOSexp	98.7	0.098473	2	49.35	0.546148	4.10	Not Rej
SOSunexp	903.6		10	90.36			
SOSStot	1002.3		12	83.525			
SOSexp	98.7	0.098473	2	49.35	1.092297	3.49	Not Rej
SOSunexp	903.6		20	45.18			
SOSStot	1002.3		22	45.55909			
SOSexp	98.7	0.098473	2	49.35	1.638446	3.32	Not Rej
SOSunexp	903.6		30	30.12			
SOSStot	1002.3		32	31.32187			
SOSexp	98.7	0.098473	2	49.35	2.184594	3.23	Not Rej
SOSunexp	903.6		40	22.59			
SOSStot	1002.3		42	23.86428			
SOSexp	98.7	0.098473	2	49.35	2.730743	3.19	Not Rej
SOSunexp	903.6		50	18.072			
SOSStot	1002.3		52	19.275			
SOSexp	98.7	0.098473	2	49.35	3.276892	3.15	Rej
SOSunexp	903.6		60	15.06			
SOSStot	1002.3		62	16.16612			
SOSexp	98.7	0.098473	2	49.35	6.553784	3.07	Rej
SOSunexp	903.6		120	7.53			
SOSStot	1002.3		122	8.215573			

Table 2  
Statistical Significance at Various Sample Sizes  
for a Fixed Effect Size (Larger Effect Size)

Source	SOS	r sq	df	MS	F calc	F crit	Decision
SOSexp	337.2	0.336426	2	168.6	0.253495	200.00	Not Rej
SOSunexp	665.1		1	665.1			
SOS <sub>tot</sub>	1002.3		3	334.1			
SOSexp	337.2	0.336426	2	168.6	2.534957	4.10	Not Rej
SOSunexp	665.1		10	66.51			
SOS <sub>tot</sub>	1002.3		12	83.525			
SOSexp	337.2	0.336426	2	168.6	5.069914	3.49	Rej
SOSunexp	665.1		20	33.255			
SOS <sub>tot</sub>	1002.3		22	45.55909			
SOSexp	337.2	0.336426	2	168.6	7.604871	3.32	Rej
SOSunexp	665.1		30	22.17			
SOS <sub>tot</sub>	1002.3		32	31.32187			
SOSexp	337.2	0.336426	2	168.6	10.13982	3.23	Rej
SOSunexp	665.1		40	16.6275			
SOS <sub>tot</sub>	1002.3		42	23.86428			
SOSexp	337.2	0.336426	2	168.6	12.67478	3.19	Rej
SOSunexp	665.1		50	13.302			
SOS <sub>tot</sub>	1002.3		52	19.275			
SOSexp	337.2	0.336426	2	168.6	15.20974	3.15	Rej
SOSunexp	665.1		60	11.085			
SOS <sub>tot</sub>	1002.3		62	16.16612			
SOSexp	337.2	0.336426	2	168.6	30.41948	3.07	Rej
SOSunexp	665.1		120	5.5425			
SOS <sub>tot</sub>	1002.3		122	8.215573			

Table 3  
"Testwise" and "Experimentwise" Error Rates for Selected Studies

"Testwise" Rate	Minimum	"Experimentwise" Rate	n of Tests	Maximum
05.0%	05.0%	1 - ( - 05.0%)	** 1	=
05.0%	05.0%	1 - ( - 95.0%)	** 1	=
05.0%	05.0%	1 - 95.0%		= 05.00%
05.0%	05.0%	1 - ( - 05.0%)	** 5	= 22.62%
05.0%	05.0%	1 - ( - 05.0%)	** 10	= 40.13%
05.0%	05.0%	1 - ( - 05.0%)	** 20	= 64.15%

Note. An alpha of 0.05 equals an alpha of 05.0%. "\*\*\*" means "raised to the power of". The first several rows of the table illustrate the that "testwise" and "experimentwise" error rates are the same when only one test is conducted.

Table 4  
Hypothetical Validity Study Data

Group	ID	DV	C1	C2	C3	C4	C5
1	1	10	-1	-1	-1	-1	-1
	2	20	-1	-1	-1	-1	-1
2	3	10	1	-1	-1	-1	-1
	4	20	1	-1	-1	-1	-1
3	5	10	0	2	-1	-1	-1
	6	20	0	2	-1	-1	-1
4	7	10	0	0	3	-1	-1
	8	20	0	0	3	-1	-1
5	9	10	0	0	0	4	-1
	10	20	0	0	0	4	-1
6	11	25	0	0	0	0	5
	12	35	0	0	0	0	5

Table 5  
Hypothetical ANCOVA Data Set

Group	ZY	ZX	ZYZX	YHAT	YE
A	-.88	-1.68	1.48	-1.36	.48
A	-.44	-.68	.30	-.56	.11
A	.00	.31	.00	.25	-.25
A	.44	1.30	.57	1.06	-.62
B	-1.32	-.68	.90	-.56	-.77
B	-.44	-.19	.08	-.15	-.29
B	.88	.56	.49	.45	.43
B	1.76	1.06	1.86	.86	.91

Note. The beta weight for the covariance procedure (.813) equals the sum of the cross products (ZXZY) of ZX and ZY divided by  $n-1$  (5.694/n-1). The predicted posttest score (YHAT) is each child's pretest (ZX) multiplied by the beta weight. The error in each prediction (YE) is equal to ZY minus YHAT.

Table 6  
Conventional ANOVA Results

Source	Sum of Squares	df	Mean Squares	F	Effect Size
Treatment	.39	1	.39	.35	.056
"Error"	6.61	5	1.10		
Total	7.00	7	1.00		

Note. Effect size is a  $\eta^2$  squared analog.

Table 7  
ANCOVA Results

Source	Sum of Squares	df	Mean Squares	F	Effect Size
Covariate	4.63	1	4.63	9.95	.661
Treatment	.04	1	.04	.08	.006
"Error"	2.33	5	.47		
Total	7.00	7	1.00		

Note. Effect size is a  $r$  squared analog.

Table 8  
ANOVA Results Using YE as Dependent Variable

Source	Sum of Squares	df	Mean Squares	F	Effect Size
Treatment	.04	1	.04	.08	.006
"Error"	2.33	5	.47		
Total	2.37	6			

Table 9  
ANOVA Associated with Figure 2

Source	Sum of Squares	df	Mean Squares	F Calc	F Crit
Treatment	35	1	35.00	4.85	5.12
"Error"	65	9	7.22		
Total	100	10			

Table 10  
ANCOVA Associated with Figure 2

Source	Sum of Squares	df	Mean Squares	F Calc	F Crit
Covariate	20	1	20.0		
Treatment	35	1	35.00	6.22	5.32
"Error"	45	8	5.62		
Total	100	10			

Table 11  
ANOVA Associated with Figure 3

Source	Sum of Squares	df	Mean Squares	F Calc	F Crit
Treatment	20	1	20.00	2.25	5.12
"Error"	80	9	8.89		
Total	100	10			

Table 12  
ANCOVA Associated with Figure 3

Source	Sum of Squares	df	Mean Squares	F Calc	F Crit
Covariate	30	1	30.0		
Treatment	0	1	.00	.00	5.32
"Error"	70	8	8.75		
Total	100	10			

Table 13  
Standardized Data for Five Variables

ID	ZY	ZX1	ZX2	ZX3	ZX4
1	.790	1.422	.350	.322	-.313
2	-1.589	.112	-1.239	-1.094	-.365
3	.127	-.965	.271	.201	-.060
4	-1.656	-2.167	-.498	-.970	.218
5	.176	-1.291	.153	2.393	.159
6	-.017	.636	-1.607	-.168	-1.746
7	-.397	-.173	.931	-.112	-1.704
8	-.594	.532	-.108	.092	.127
9	.846	.528	1.237	-.092	.035
10	.810	.642	-1.400	1.135	1.654
11	1.764	.373	1.290	-0.543	1.005
12	-.260	.352	.620	-1.163	.989

Table 14  
Bivariate Correlation Matrix

	ZY	ZX1	ZX2	ZX3	ZX4
ZY		.497	.444	.384	.319
ZX1	24.7%		.018	-.074	-.004
ZX2	19.7%	.0%		-.054	.099
ZX3	14.7%	.5%	.3%		.103
ZX4	10.2%	.0%	1.0%	1.1%	

Note. Bivariate  $r$  coefficients are presented above the diagonal. Common variance (squared  $r$ ) percentages are presented below the diagonal.

Figure 1  
Scattergram of ANCOVA Data

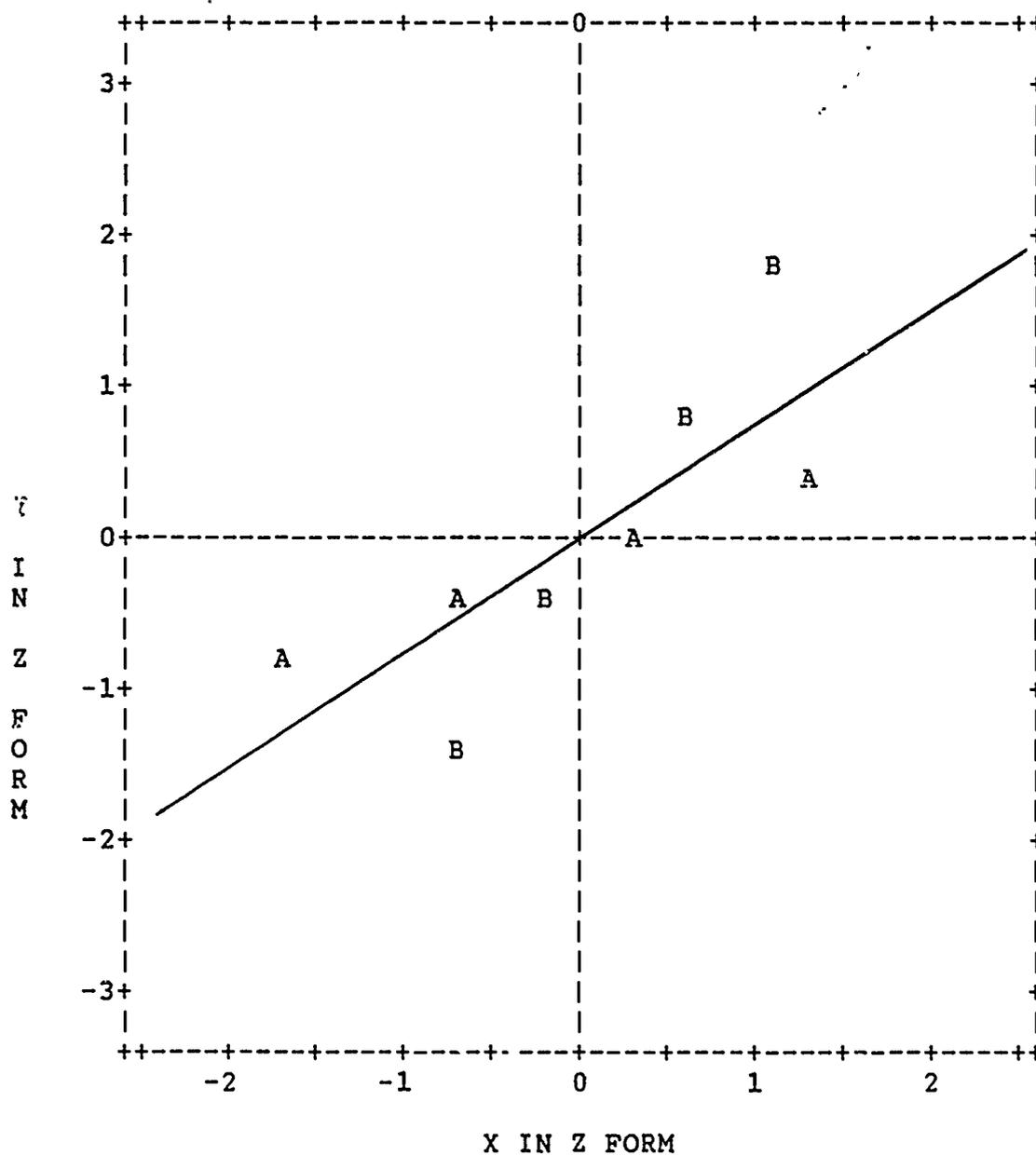


Figure 2  
ANCOVA Best Case

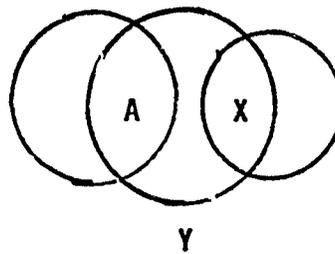


Figure 3  
ANCOVA Worst Case

